

Assignment 6a How'd it go? Which option/extension are you picking? Quiz #3 next Monday No hours today

Machine Learning is...

Machine learning, a branch of artificial intelligence, concerns the construction and study of systems that can learn from data.



Machine Learning is...

Machine learning is programming computers to optimize a performance criterion using example data or past experience.

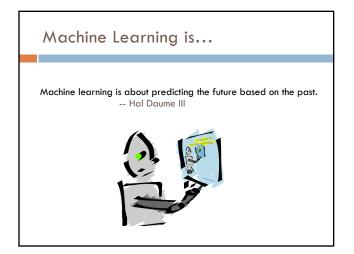
-- Ethem Alpaydin

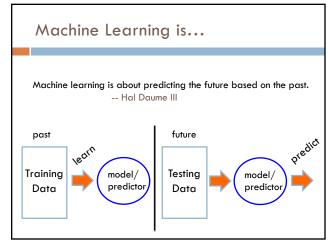
The goal of machine learning is to develop methods that can automatically detect patterns in data, and then to use the uncovered patterns to predict future data or other outcomes of interest.

-- Kevin P. Murphy

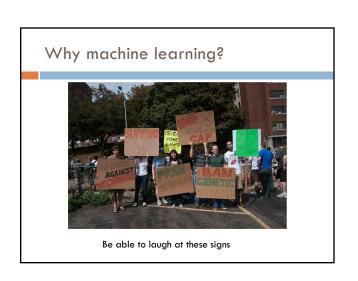
The field of pattern recognition is concerned with the automatic discovery of regularities in data through the use of computer algorithms and with the use of these regularities to take actions.

-- Christopher M. Bishop



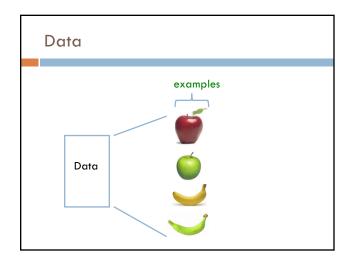


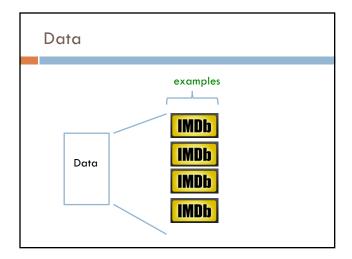
Why machine learning? Lot's of data Hand-written rules just don't do it Performance is much better than what people can do Why not just study machine learning? Domain knowledge/expertise is still very important What types of features to use What models are important

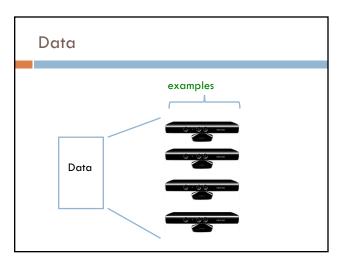


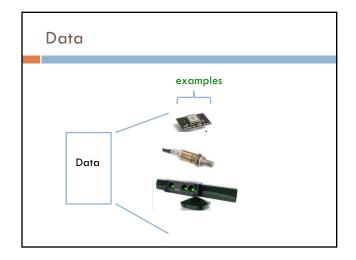
Machine learning problems

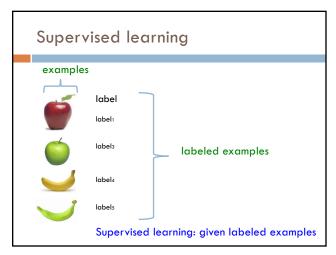
What high-level machine learning problems have you seen or heard of before?

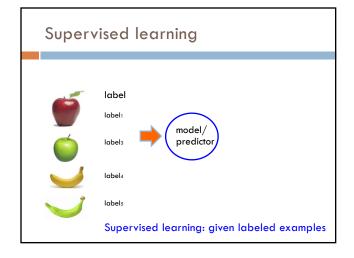


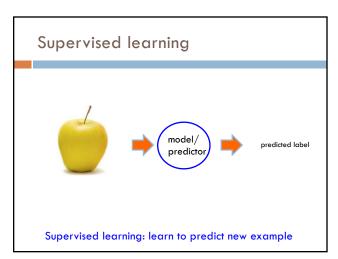


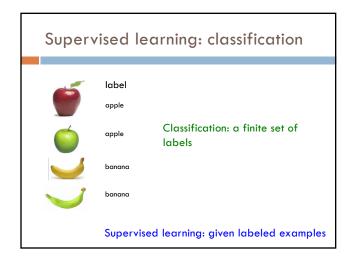


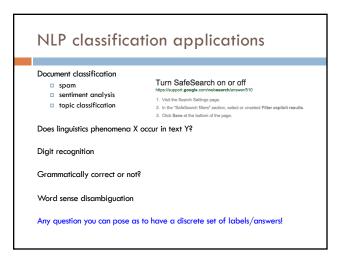


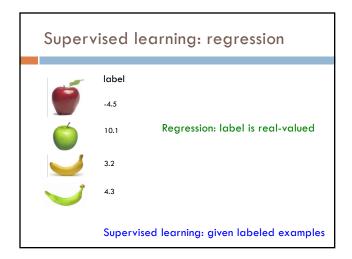


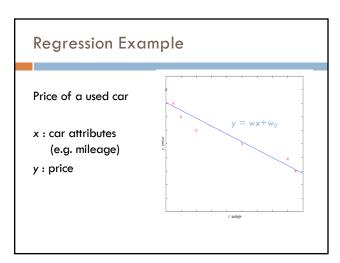


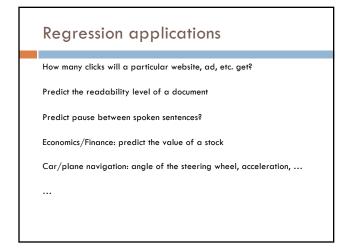


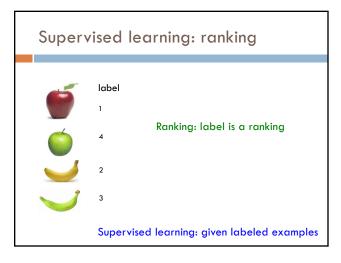




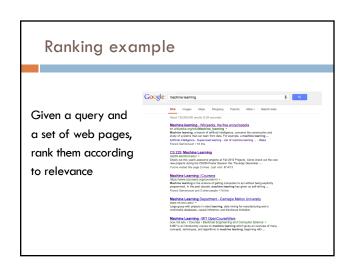


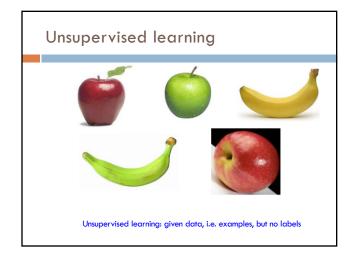




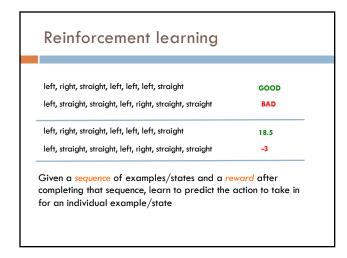


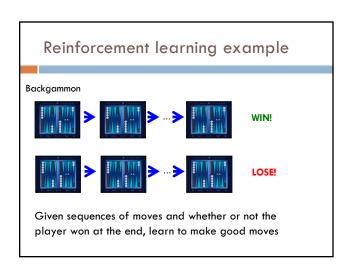
NLP Ranking Applications reranking N-best output lists (e.g. parsing, machine translation, ...) Rank possible simplification options flight search (search in general) ...

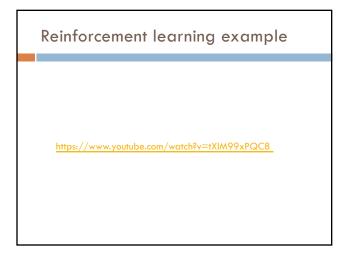


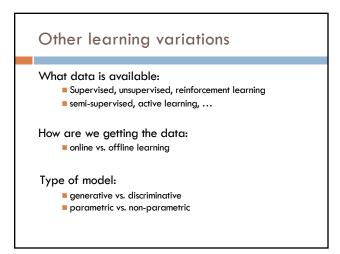


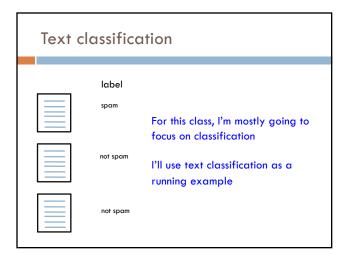
Unsupervised learning applications learn clusters/groups without any label cluster documents cluster words (synonyms, parts of speech, ...) compression bioinformatics: learn motifs ...

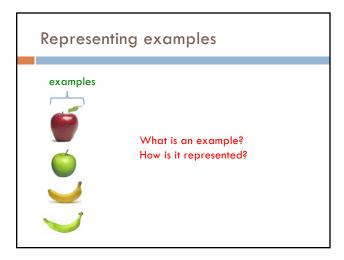


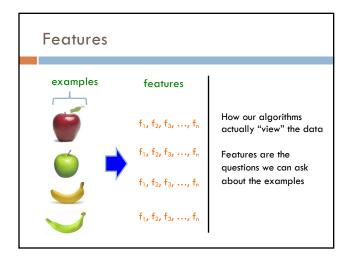


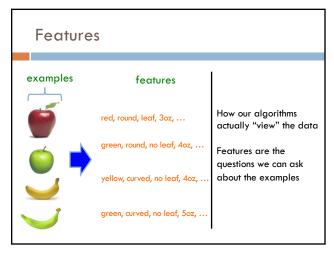


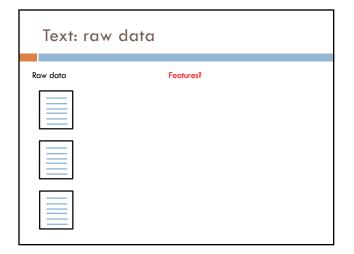


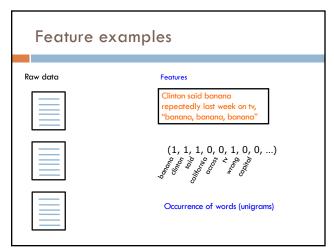


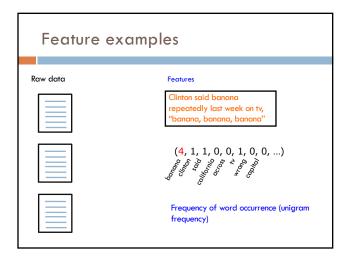


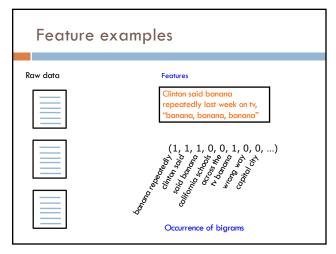


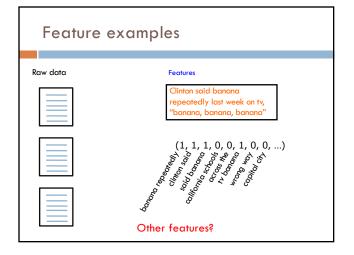












Lots of other features

POS: occurrence, counts, sequence

Constituents

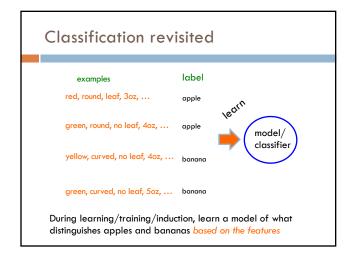
Whether 'V1 agra' occurred 15 times

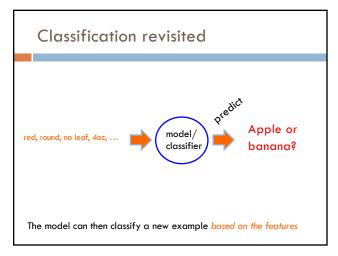
Whether 'banana' occurred more times than 'apple'

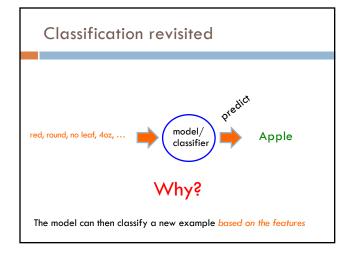
If the document has a number in it

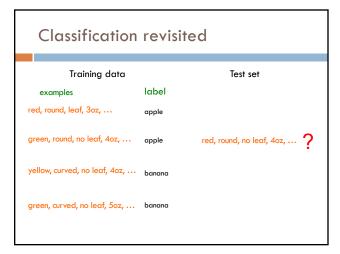
...

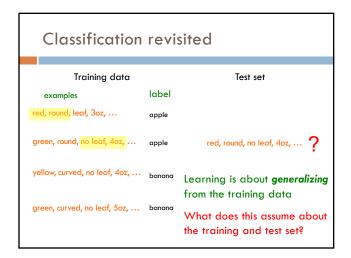
Features are very important, but we're going to focus on the model

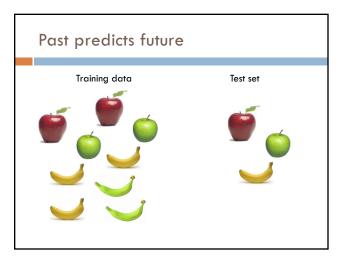


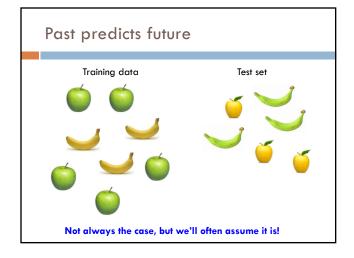


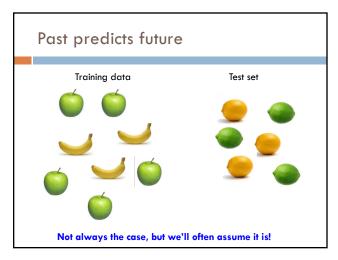










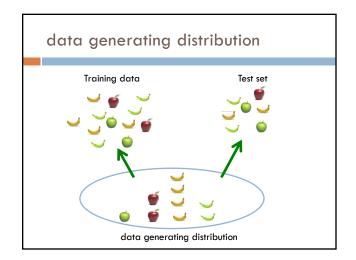


More technically...

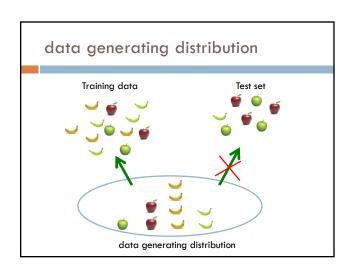
We are going to use the probabilistic model of learning

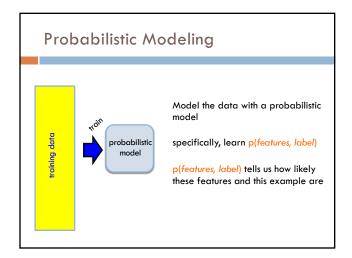
There is some probability distribution over example/label pairs called the data generating distribution

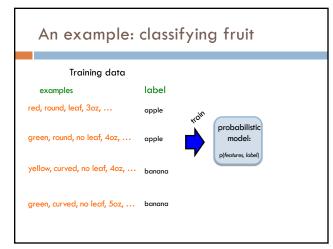
Both the training data **and** the test set are generated based on this distribution

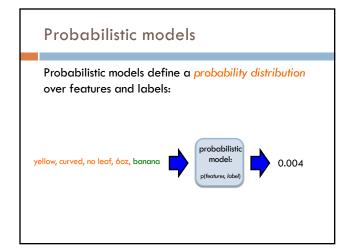


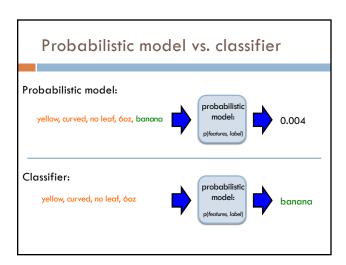
data generating distribution Training data Test set data generating distribution

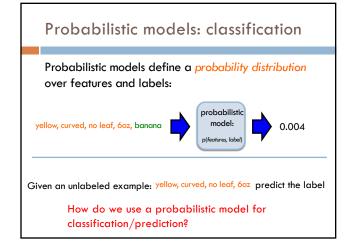


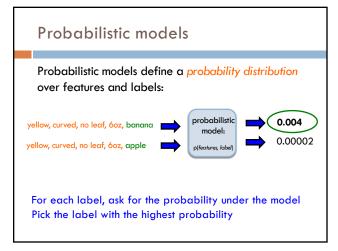


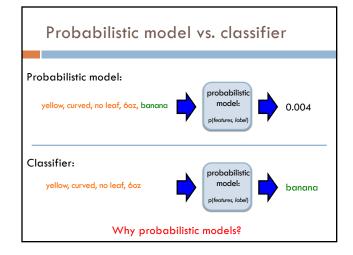


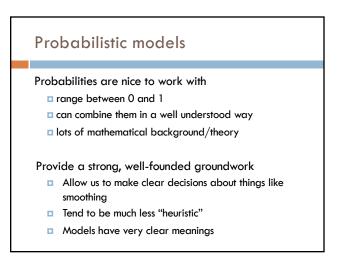












Probabilistic models: big questions

- Which model do we use, i.e. how do we calculate p(feature, label)?
- 2. How do train the model, i.e. how to we we estimate the probabilities for the model?
- 3. How do we deal with overfitting (i.e. smoothing)?

Basic steps for probabilistic modeling Probabilistic models

Step 1: pick a model

Step 2: figure out how to estimate the probabilities for the model

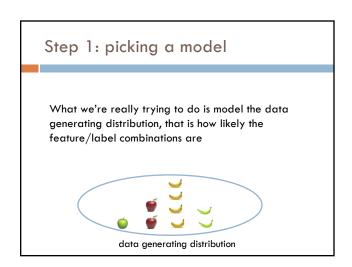
Step 3 (optional): deal with overfitting

Which model do we use, i.e. how do we calculate p(feature, label)?

How do train the model, i.e. how to we we estimate the probabilities for the model?

How do we deal with overfitting?

What was the data generating distribution? Training data data generating distribution



Some math

$$\begin{split} p(features, label) &= p(x_1, x_2, ..., x_m, y) \\ &= p(y) p(x_1, x_2, ..., x_m \mid y) \end{split}$$

What rule?

Some math

$$p(features, label) = p(x_1, x_2, ..., x_m, y)$$

=
$$p(y)p(x_1, x_2, ..., x_m | y)$$

$$= p(y)p(x_1 | y)p(x_2,...,x_m | y,x_1)$$

=
$$p(y)p(x_1 | y)p(x_2 | y, x_1)p(x_3,...,x_m | y, x_1, x_2)$$

$$= p(y) \prod_{j=1}^{m} p(x_i \mid y, x_1, ..., x_{i-1})$$

Step 1: pick a model

 $p(features, label) = p(y) \prod_{i=1}^{m} p(x_i | y, x_1, ..., x_{i-1})$

So, far we have made NO assumptions about the data

$$p(x_m | y, x_1, x_2, ..., x_{m-1})$$

How many entries would the probability distribution table have if we tried to represent all possible values and we had 7000 binary features?

Full distribution tables

\mathbf{x}_1	X ₂			p()
0	0	0	 0	*
0	0	0	 1	*
1	0	0	 0	*
1	0	0	 1	*
0	1	0	 0	*
0	1	0	 1	*

All possible combination of features!

Table size: $2^{7000} = ?$

27000

121/1697.5566.2020/26466665085478377065191112430343742582359820841515.2702316.27023157870800237877
444000465199001909935099453865255787921445132041070221102335464658474213188227707809273308421342
722420012281878782607273186217023146276052607977841250999998601648400666001129071747737966787
819-025523777005552947572566780558097038446272184021610886260081609713287479204552087401101862
90984237520177464052311293955235395905454421455477250950999680164971328742904352087401101862
90984237520177464052311293955235359505454421455477250950909645078847946483599293974112569474348
619121579684847434440074120417402088754037186942170155022073539838122429925874357536161041593
4359455766456170179009417259705333652664502018084939802186997092587580809643755754144487088
8248859941993802415197514510125127043829087280919538476502857811854024099958895964192277601255
304941156240499947144160905730842499139540749753012497650024833357073899932099910322
3445996389530690429901740098017325210691307971242016963397230128353007389784519525848553710885
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74400231760992113555612411945387026802909440818388590576719369892555854771447423234000
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8999558301688481333479844411368000499405418131054507777104069832172494388833163657172300

Any problems with this?

Full distribution tables

\mathbf{x}_1	X ₂	X ₃		У	p()
0	0	0	•••	0	*
0	0	0		1	*
1	0	0		0	*
1	0	0		1	*
0	1	0		0	*
0	1	0		1	*

- Storing a table of that size is impossible!
- How are we supposed to learn/estimate each entry in the table?

Step 1: pick a model

$$p(features, label) = p(y) \prod_{i=1}^{m} p(x_i \mid y, x_1, ..., x_{i-1})$$

So, far we have made NO assumptions about the data

Model selection involves making assumptions about the data

We've done this before, n-gram language model, parsing, etc.

These assumptions allow us to represent the data more compactly and to estimate the parameters of the model

Naïve Bayes assumption

$$p(features, label) = p(y) \prod_{j=1}^{m} p(x_i \mid y, x_1, ..., x_{i-1})$$

$$p(x_i | y, x_1, x_2, ..., x_{i-1}) = p(x_i | y)$$

What does this assume?

Naïve Bayes assumption

$$p(features, label) = p(y) \prod_{j=1}^{m} p(x_i \mid y, x_1, ..., x_{i-1})$$

$$p(x_i | y, x_1, x_2, ..., x_{i-1}) = p(x_i | y)$$

Assumes feature i is independent of the the other features given the label

Is this true for text, say, with unigram features?

Naïve Bayes assumption

$$p(x_i | y, x_1, x_2, ..., x_{i-1}) = p(x_i | y)$$

For most applications, this is not true!

For example, the fact that "San" occurs will probably make it more likely that "Francisco" occurs

However, this is often a reasonable approximation:

$$p(x_i | y, x_1, x_2, ..., x_{i-1}) \approx p(x_i | y)$$